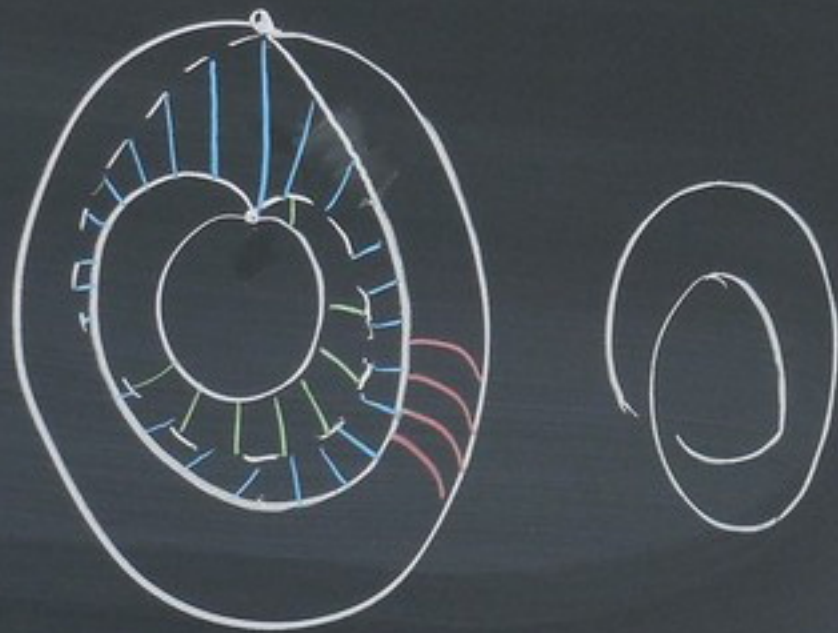


$(0, 1)$
 $(F, V) \quad (\perp, T)$

↓
algèbre
structure linéaire

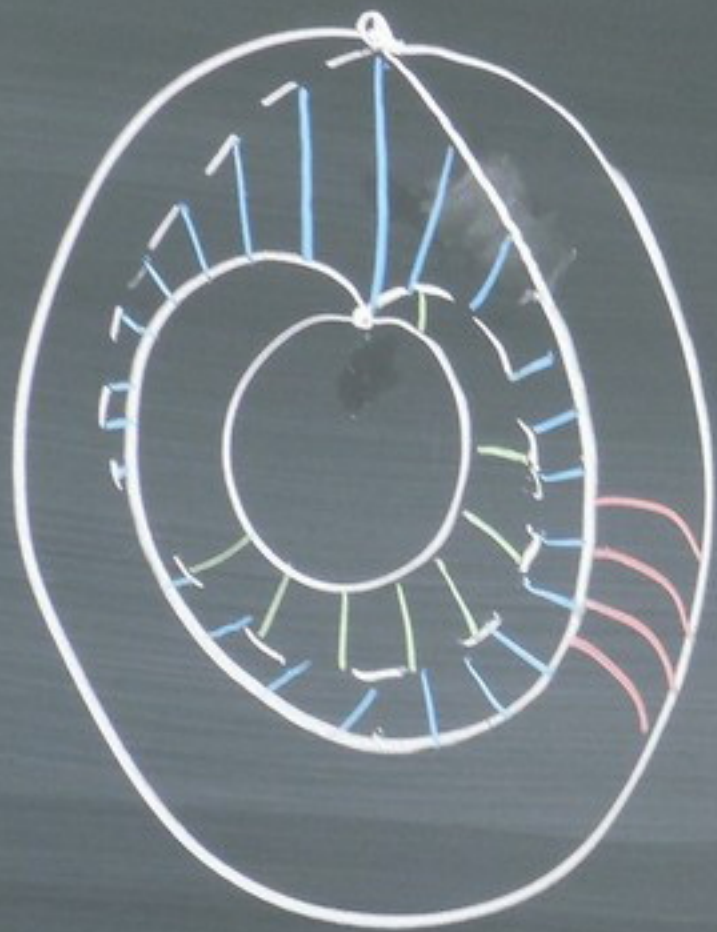
$\overline{x \quad (S_2, T_2) \quad x \quad (S_1, T_1) \quad x \quad x}$



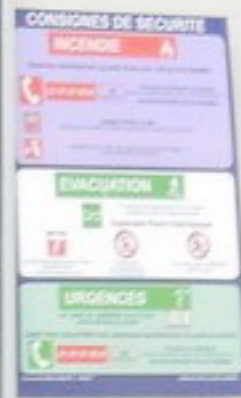
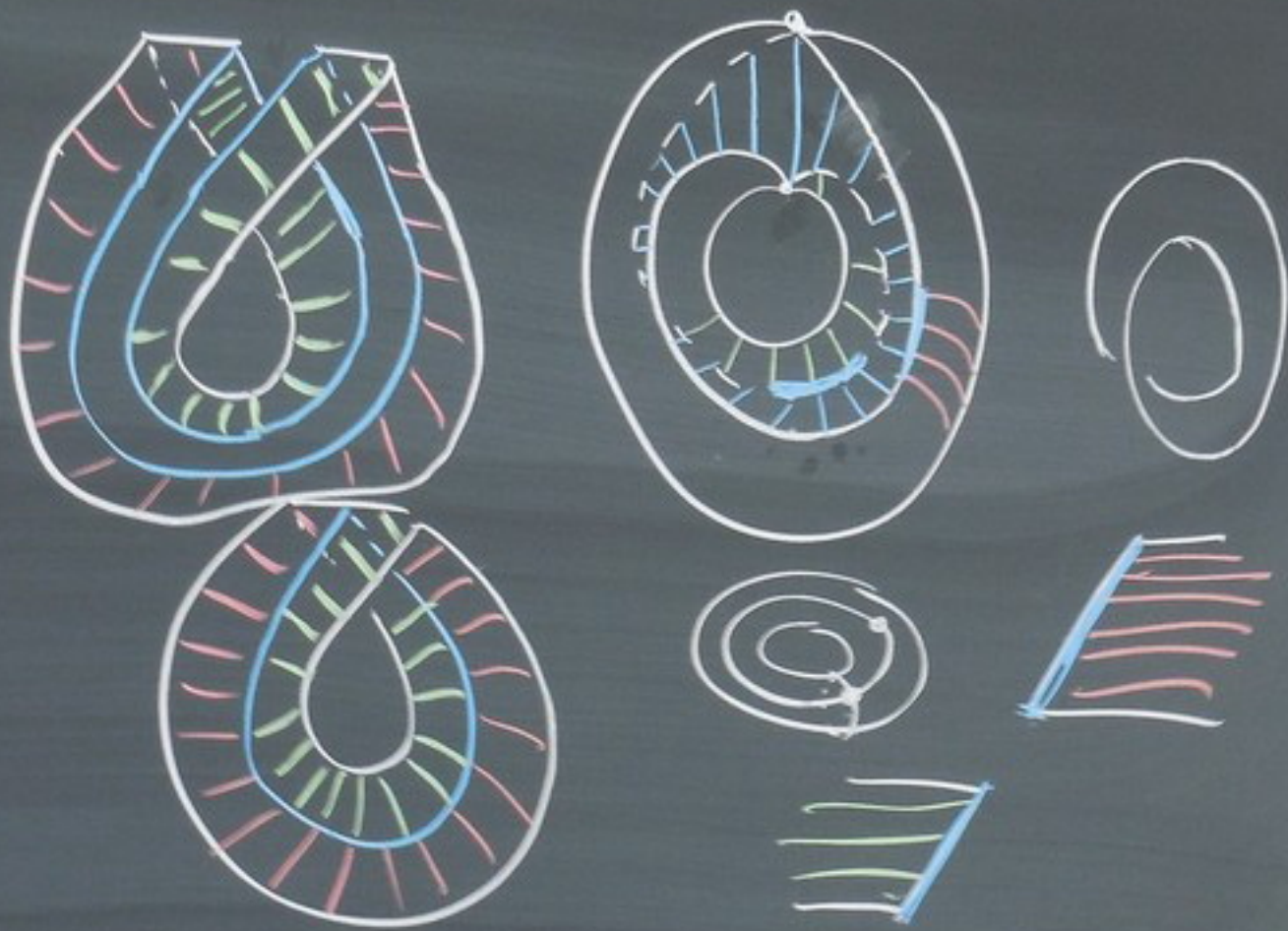
CONSIGNES DE SECOURS
INCENDIE
URC

IL EST STRICTEMENT INTERDIT DE
MANGER
DANS LES SALLES DE COURS

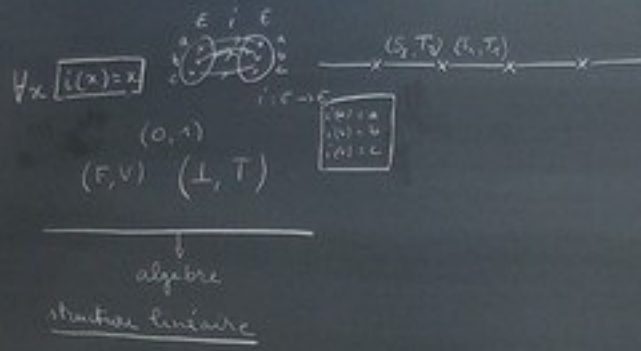
16.06.2015 19:35



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16.06.2015 19:42

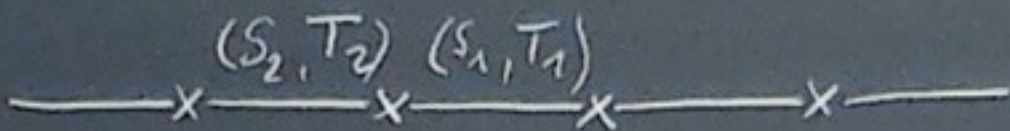


16.06.2015 20:17

$$\forall x \quad \boxed{i(x) = x}$$



$$i: E \rightarrow E$$



$$\boxed{\begin{aligned} i(a) &= a \\ i(b) &= b \\ i(c) &= c \end{aligned}}$$

$$\begin{aligned} &(0, 1) \\ (F, V) & \quad (I, T) \end{aligned}$$

↓
algèbre

structure linéaire



$\forall x \boxed{i(x)=x}$

$(0,1)$
 (F,V) (L,T)

\downarrow
algebra
structura lineara

$\begin{matrix} e & i & e \\ \circ & \circ & \circ \\ \circ & \circ & \circ \end{matrix}$

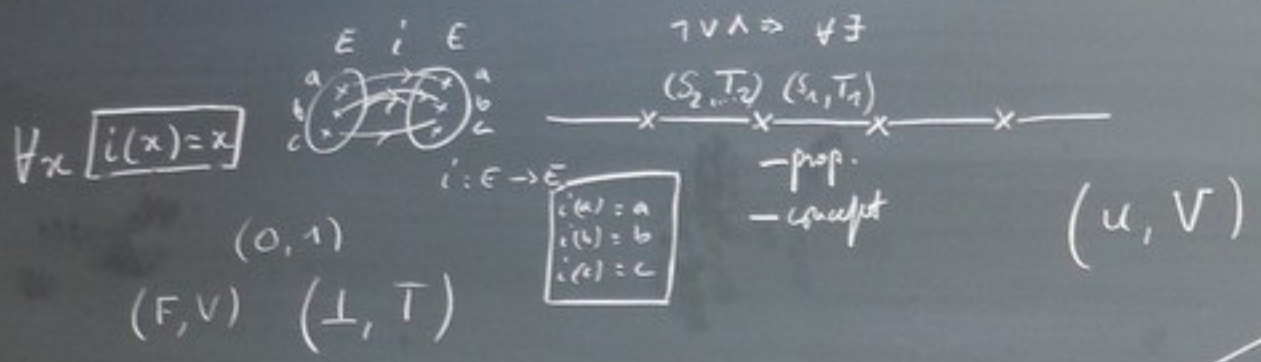
$\xrightarrow{(S,T) (L,T)}$

$\boxed{\begin{matrix} a & b \\ c & d \end{matrix}}$



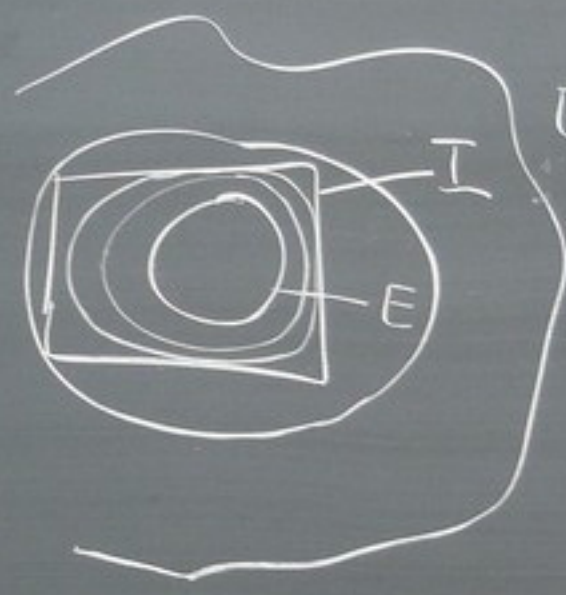
16.06.2015 20:17



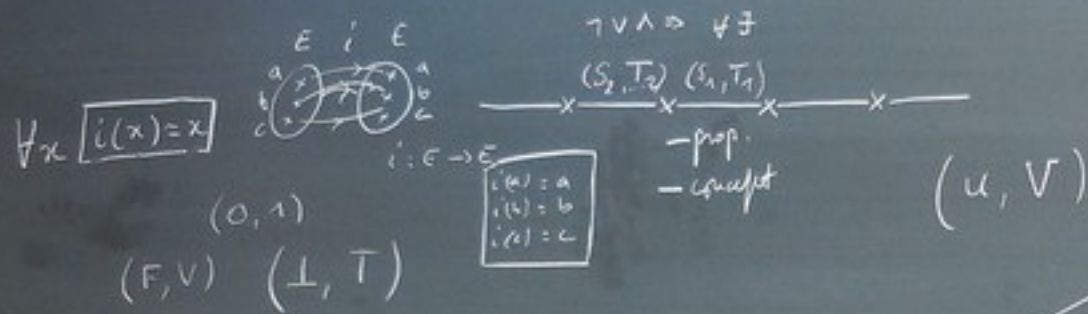


↓
 algèbre
structure linéaire

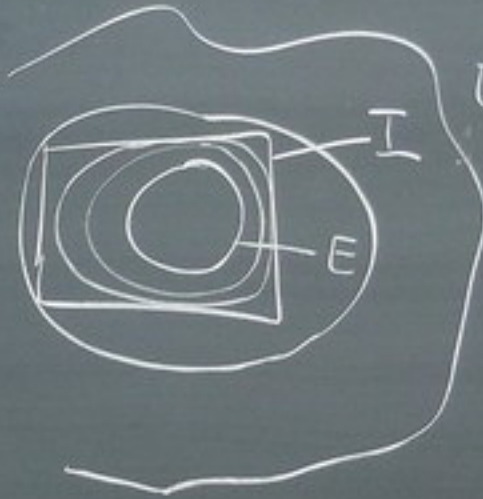
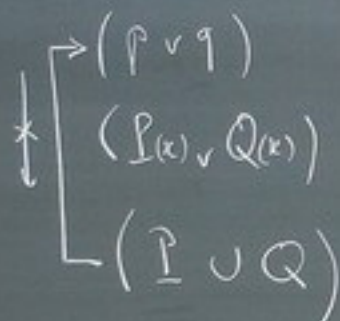
- $(P \vee Q)$
- $(P(x) \vee Q(x))$
- $(\underline{P} \cup Q)$



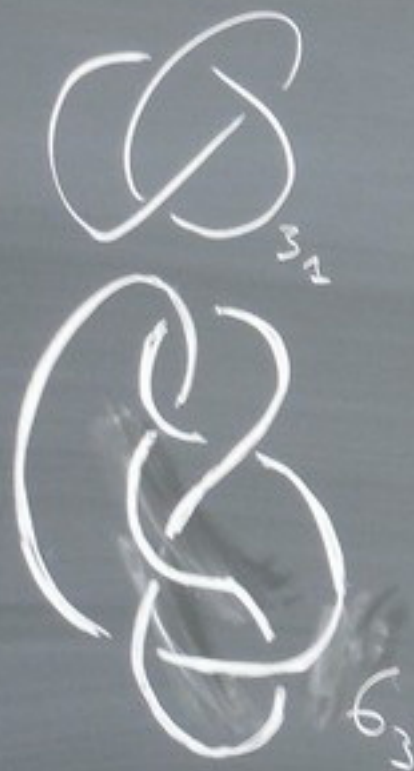
$E \cup \neg E = I$



↓
algebre
structure linéaire



$E \cup \neg E = I$



Topologie.



$\exists U \neg E = I$

$$x \in \mathbb{Z}$$

$$|x|$$

$$|3| = 3$$

$$|-3| = 3$$

$$|x| = \begin{cases} x & \text{mit } x \geq 0 \\ -x & \text{mit } x < 0 \end{cases}$$

↑
opposite

$$-x > 0$$

$$-(-3) = 3 > 0$$

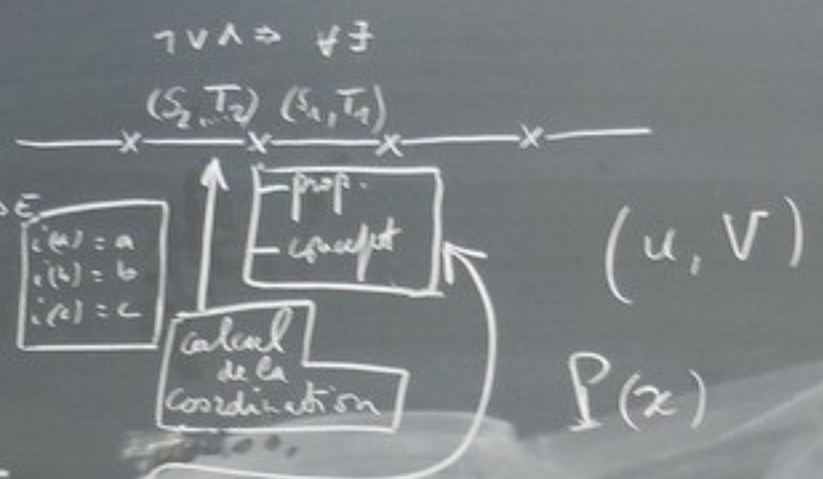


Topologie

$\forall x \boxed{i(x)=x}$
 $-1 \cdot x = x \quad (0, 1)$
 $(F, V) \quad (L, T)$

algèbre
structure linéaire

$x^2 = x \Rightarrow \boxed{2 \cdot x = 0}$
Boole
 $x + x = 0$
 $\boxed{x = -x}$



$\boxed{A} \forall x (S(x) \Rightarrow P(x))$

tous les G sont M
 Syllabistique

Boole

$v)$
 $S(x)$
 $P(x)$
 M
 ique

Boole

$(p \Rightarrow q) : \neg(p \wedge \neg q)$
 $\neg p = p+1$

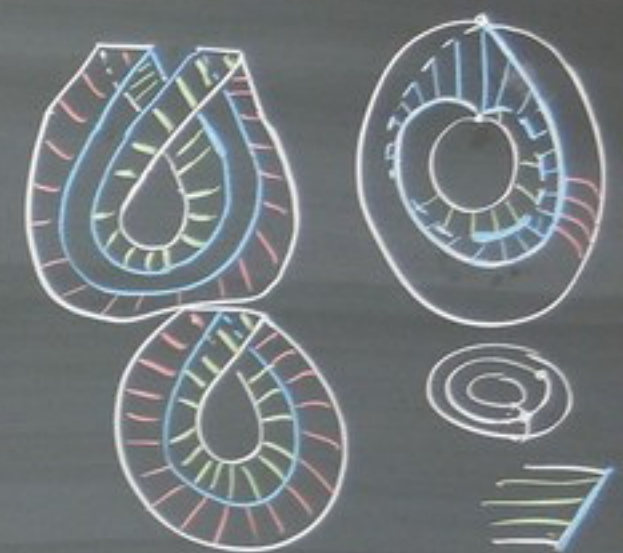
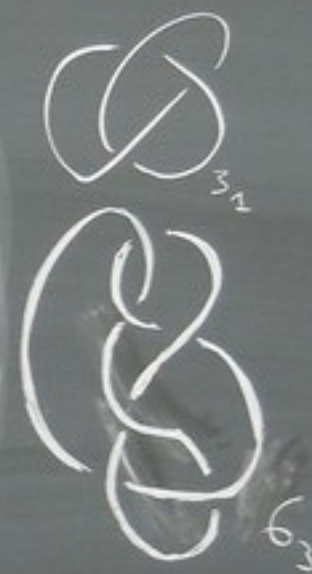
$(p \wedge q) : p \cdot q$

$(p \Rightarrow q) : (p \cdot (q+1)) + 1$
 $(p \cdot q + p) + 1$
 $p \cdot q + p + 1$

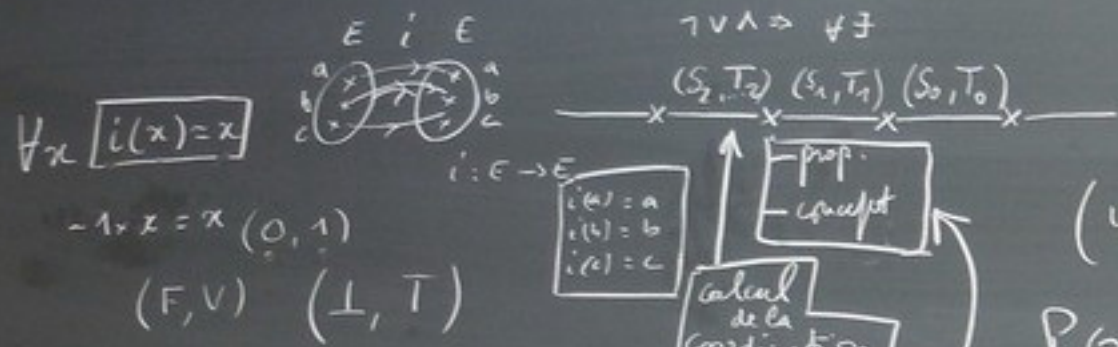
$1 = S(p+1) + 1$

$\boxed{A} S.(P+1) = 0 \quad \neg \exists x (S(x) \wedge \neg P(x)) \quad \boxed{A}$

$\boxed{O} S.(P+1) \neq 0$



Topologie.



algebre
structure lineaire

$x^2 = x \Rightarrow \boxed{2x = 0}$

Boole

$x + x = 0$

$x = -x$

$\boxed{A} \forall x (S(x) \Rightarrow P(x))$
 $\exists x (S(x) \wedge \neg P(x))$
tous les G sont M
Syllogistique

Boole

$(p \Rightarrow q) : \neg (p \wedge \neg q)$

$\neg p = p+1$

$(p \wedge q) : p \cdot q$

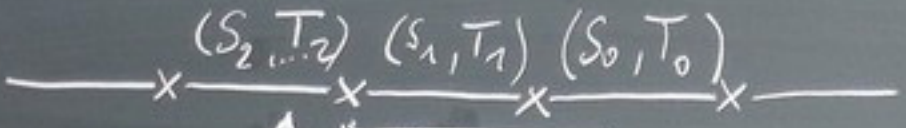
$(p \Rightarrow q) : (p \cdot (q+1)) + 1$
 $(p \cdot q + p) + 1$
 $p \cdot q + p + 1$

$\boxed{1} = S(P+1) + 1$

$\boxed{A} S.(P+1) = 0 \quad \neg \exists$

$\boxed{O} S.(P+1) \neq 0$

$$\neg \forall \wedge \Rightarrow \forall \exists$$



$i(a) = a$
 $i(b) = b$
 $i(c) = c$

prop.
 concept

calcul de la coordination

(u, v)

$P(x)$ $S(x)$

$\forall x (S(x) \Rightarrow P(x))$

$\exists x (S(x) \wedge \neg P(x))$

tous les G sont M

Syllogistique

Boole

$$(p \Rightarrow q) : \neg (p \wedge \neg q)$$

$$\neg p = p+1$$

$$(p \wedge q) : p \cdot q$$

$$(p \Rightarrow q) : (p \cdot (q+1)) + 1$$

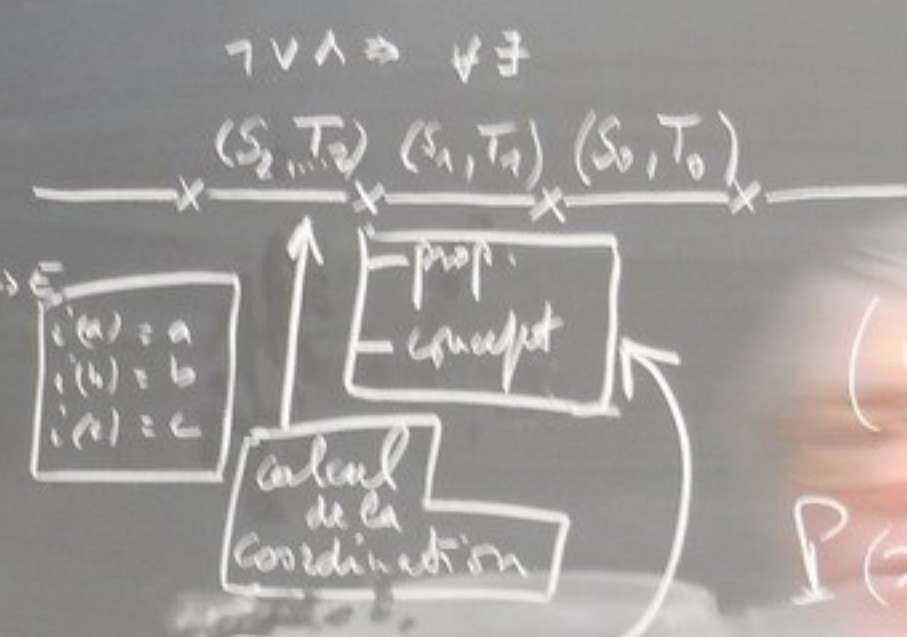
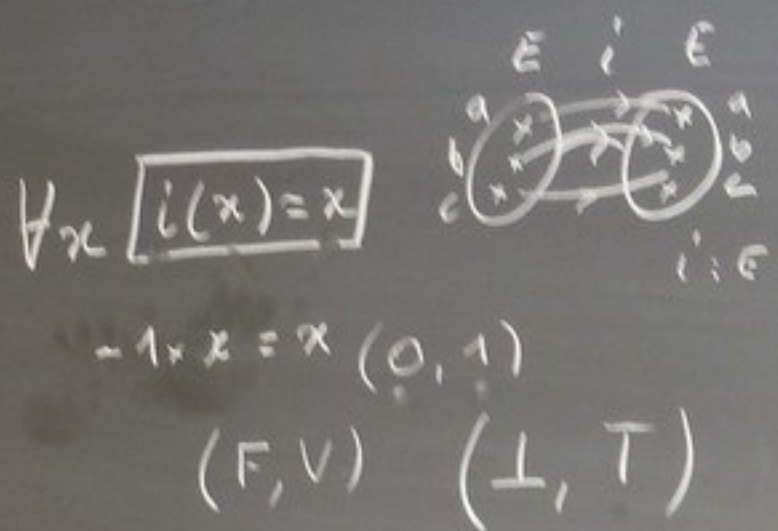
$$(p \cdot q + p) + 1$$

$$p \cdot q + p + 1$$

$$1 = S(p+1) + 1$$

$\forall S. (P)$

$\exists S. (P)$



algebre
structure lineaire

$x^2 = x \Rightarrow \boxed{2x = 0}$

Boole

$x + x = 0$

$\boxed{x = -x}$

$\boxed{A} \forall x (S(x) = \dots)$

$\exists x (S(x) = \dots)$

tous les C

Syll

Boole

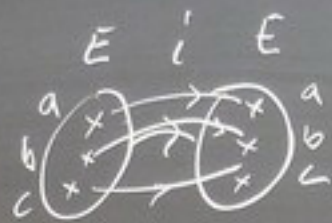
$(p \Rightarrow q)$

$\neg p =$

$(p \wedge q)$

$(p \Rightarrow q)$

$$\forall x \boxed{i(x) = x}$$



Mod. $\neg \forall \wedge \Rightarrow \forall \exists$

$$(S_3, T_3) \xrightarrow{x} (S_2, T_2) \xrightarrow{x} (S_1, T_1) \xrightarrow{x} (S_0, T_0) \xrightarrow{\text{math}}$$

$i: E \rightarrow E$

$$\begin{cases} i(a) = a \\ i(b) = b \\ i(c) = c \end{cases}$$

prop. concept

calcul de la coordination

$$\sim 1 \times x = x \quad (0, 1)$$

$$(F, V) \quad (\perp, T)$$

(u, v)

$P(x)$

$S(x)$

algèbre

structure linéaire

+

$$x^2 = x \Rightarrow$$

$$\boxed{2 \cdot x = 0}$$

X

Boole

$$x + x = 0$$

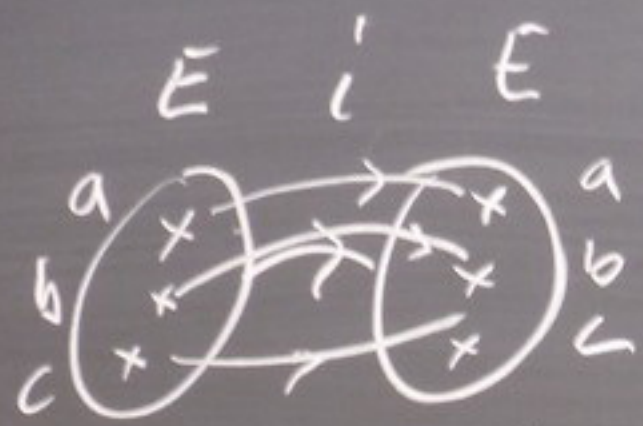
$$\boxed{x = -x}$$

$$\boxed{A} \forall x (S(x) \Rightarrow P(x))$$

$$\exists x (S(x) \wedge \neg P(x))$$

tous les G sont M

Syllogistique



Mod. $\neg \forall \wedge \Rightarrow \forall \exists$

$(S_3, T_3) \times (S_2, T_2) \times (S_1, T_1) \times (S_0, T_0)$ math

$i: E \rightarrow E$

$i(a) = a$
 $i(b) = b$
 $i(c) = c$

prop.
concept

calcul
de la
coordination

(u, v)

$P(x)$

(I, T)

algèbre
linéaire

A

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